

**1. Define Thevenin's theorem. Explain the steps to get Thevenin's equivalent voltage source and resistance.**

**Answer:**

**Thevenin's theorem:**

*Any two-terminal network containing a number of e.m.f sources and resistances can be replaced by an equivalent series circuit having a voltage source  $E_{TH}$  in series with a resistance  $R_{TH}$ , where  $E_{TH}$  is open circuited Thevenin's equivalent voltage between the two terminals by removing the load.  $R_{TH}$  is Thevenin's equivalent resistance measured between two terminals of the circuit obtained by looking "into" the terminals with load removed and voltage sources replaced by their internal resistances..*

**Procedure**

Let us consider the figure (N.1). It consists of a DC source  $E$  with some resistance  $R_1$ ,  $R_2$  and  $R_3$  with a load resistor ( $R_L$ ) connected across the terminals  $A$  and  $B$ .

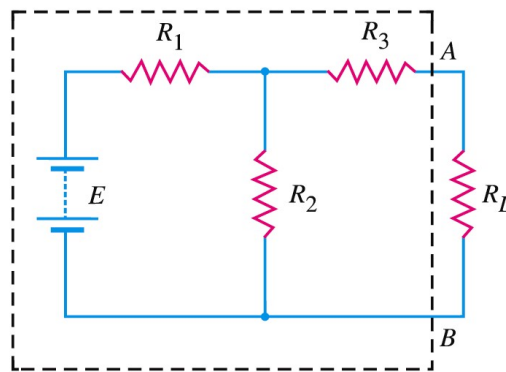


Figure (N.1), Active circuit used for analysis.

**Step 1:**

**Finding Thevenin's equivalent voltage ( $E_{TH}$ ):**

If the active circuit under consideration contains a load resistor, then we have to remove it and measure the voltage across the open terminals for the Thevenin's equivalent source ( $E_{TH}$ ) as shown in the figure (N.2).

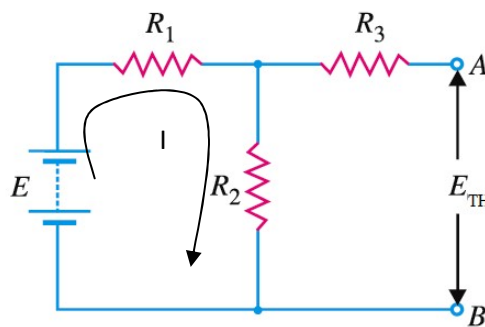


Figure (N.2), Measuring Thevenin's Equivalent voltage  $E_{TH}$ .

From the figure (N.2) we can see that the closed loop containing E, R<sub>1</sub> and R<sub>2</sub> will have a current flowing into it. Therefore by applying ohms law we can write;

$$E = I \cdot (R_1 + R_2) \dots\dots\dots (1)$$

$$I = \frac{E}{(R_1 + R_2)} \dots\dots\dots (2)$$

From the circuit as shown in figure (N.2), no current flows through the resistor R<sub>3</sub> so there will be no drop across it and thus the potential drop across A and B will same as across resistor R<sub>2</sub>. So again applying ohms law across the resistor R<sub>2</sub> we get;

$$E_{TH} = I \cdot (R_2) \dots\dots\dots (3)$$

$$I = \frac{E_{TH}}{(R_2)} \dots\dots\dots (4)$$

Equating (2) and (4) we get;

$$\frac{E_{TH}}{(R_2)} = \frac{E}{(R_1 + R_2)}$$

$$E_{TH} = \frac{E}{(R_1 + R_2)} \cdot R_2 \dots\dots\dots (5)$$

## Step 2:

### Finding Thevenin's equivalent resistance (R<sub>TH</sub>):

We have to remove the source E and replace it with its internal resistance, in this case it is considered to be zero as a very good voltage source will have a very less internal resistance almost negligible and hence we will replace E with a short circuit as shown in the figure (N.3).

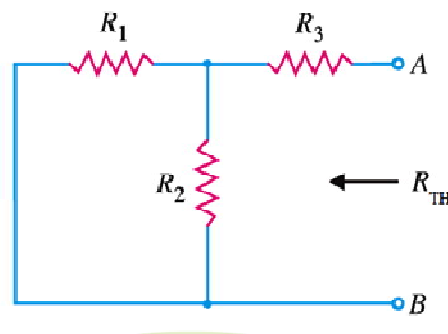


Figure (N.3), Measuring Thevenin's Equivalent Resistance R<sub>TH</sub>.

We can see that R<sub>1</sub> and R<sub>2</sub> are in parallel and R<sub>3</sub> is in series with it so solving it we get,

$$R_{TH} = R_3 + \frac{R_1 \cdot R_2}{R_1 + R_2} \dots\dots\dots (6)$$

**Step 3:**

**Thevenin's equivalent Circuit:**

The Thevenin's Voltage ( $E_{TH}$ ) along with Thevenin's resistance ( $R_{TH}$ ) in series connected to the load resistor has been shown in the figure (N.4).

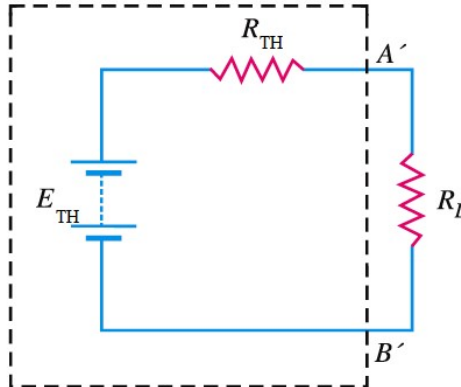


Figure (N.4), Measuring Thevenin's Equivalent Resistance  $R_{TH}$ .

If we know consider a current flowing into the circuit and applying ohms law we can write;

$$E_{TH} = I \cdot (R_{TH} + R_L) \dots\dots\dots (7)$$

Replacing the value of  $R_{TH}$  in equation 7 we get;

$$E_{TH} = I \cdot \left\{ \left( R_3 + \frac{R_1 \cdot R_2}{R_1 + R_2} \right) + R_L \right\} \dots\dots\dots (8)$$

**References;**

1. Electronic Devices and Circuits, Boylestad and Nashelsky, Pearson.
2. Elements of Electronics, Bagde Singh, S Chand.
3. Network Analysis, Van Valkenberg, PHI.
4. Principle of Electronics, Mehta & Mehta, S Chand.